



Life Cycle Wages of Doctors

An Empirical Analysis of the
Earnings of Norwegian
Physicians

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Abstract:

We use individual panel data to estimate age-earnings profiles for Norwegian physicians. Based on data covering the 1993-2006 period we find that the age-earning profiles of physicians share many of the attributes of the classical Mincer function. Physician's earnings rise, but at a decreasing rate, for the first 20 years after medical training; they peak between the ages of 55 and 59; and they decline slightly toward the end of the career. We observe that there will be complications when using the regular cross-sectional methods because of cohort and period effects on income. Using fixed-effects method therefore provides a more accurate picture of the profiles. When looking at profiles by gender we find that there are large differences between the earnings of male and female physicians, some of which can be attributed to reduced labor supply during child-rearing years and some to lower investments in specialization among female doctors. We also discover differences in the profiles of physicians educated in Norway and abroad and discuss alternative explanations for this pattern.

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Chapter 1: Institutional setting and past research

1.1 The setting

The Norwegian health care sector is financed and, for the most part, provided for by the government. Total health expenditures in 2006 were \$4520 per capita, of which 83.6% was government spending. This is much higher than the OECD average of \$2915, of which 71.5% is government spending. (OECD, 2008).

Norwegian hospitals are mostly owned by the government and were managed by the counties until 2002. After a reform in 2002 the responsibility was transferred to the central government, which divided the country into 5 different regions. North, West, Middle Norway, South and East. South and East merged 1 July 2007 into South- East. The regions have divided their areas of responsibility among the local, county and regional hospitals. The local hospitals handle the basic operations and medicine while the regional hospitals handle the most advanced and serious needs. Each citizen is registered to a “designated” physician who takes care of their primary health needs and refers the patient to the hospitals if needed. This is often provided by private practices founded by public contracts. The majority of physicians in Norway work in public hospitals, but it is not uncommon to have a private practice at the same time.

Medical studies in Norway are six years followed by an internship of 18 months of medical practice. Medical students are also able to practice medicine after 4-5 years of study under a student license with the same wage as an intern.

1.2 The labor market

The physician labor market in Norway has been strongly influenced by a shortage of doctors since 1990. This is the opposite situation to that of the other Nordic countries, like Sweden and Finland, which have been experiencing a physician surplus. The main reason for this deficit was that in the early 1980s the governments of the Nordic countries predicted that there would be an economic recession, which was expected to reduce the demand for health services. This recession was milder in Norway than in other Nordic countries, resulting in a higher demand for

health services than predicted. Because of this Norway is the only country that has experienced a continuous shortage of physicians since 1980.

In 1981 there were 8500 working physicians in Norway with a supply deficit of 300 vacant jobs. Both the government and the labor union were concerned that this deficit would turn into a surplus in next 20 years. The reason for this concern was that the physician's labor market differentiates itself from the rest for the academic work force because of the fact that physicians are educated to be physicians and after such a long education few find the motivation for re-education. It is also a very specialized education and it may be difficult to apply this knowledge to new jobs. Hence it is important to make forecasts of the labor market for physicians.

A inter departmental committee, named the "Willumsen committee", published a report called "Health plan for the 1980s" in 1983 in which they concluded that based on economic growth that Norway would have 14200 physicians in year 2000. They also predicted that the demand would approximately be 11 000 physicians, resulting in a surplus of 3200 unemployed physicians. This resulted in a government intervention that reduced the number of students per year from 370 in 1980-82 to 300 in 1984-87. The government also took action to reduce the number of Norwegian students studying abroad.

These labor market interventions continued until 1990 when the educational capacity was increased to 345 students followed by an increase to 415 students in 1993 and 490 students in 1996. During the same period the number of students studying abroad increased rapidly. Table 1.1 shows the number of medical students from 1980-2006. The reductions in the number of educated physicians, together with increased demand for labor caused a large shortage of physicians in the 1990s (Legeforeningen, 2007).

Table 1.1 Number of medical students in Norway and abroad with support from the Norwegian State educational loan fund (NSELF)

Year	Abroad	Norway	Total	Share studying abroad
1980-81	707	1810	2517	28 %
1981-82	678	2185	2863	24 %
1982-83	656	2214	2870	23 %
1983-84	585	2148	2733	21 %
1984-85	540	2036	2576	21 %
1985-86	442	1935	2377	19 %
1986-87	384	1681	2065	19 %
1987-88	345	1679	2024	17 %
1988-89	300	1648	1948	15 %
1989-90	305	1619	1924	16 %
1990-91	314	1658	1972	16 %
1991-92	329	1711	2040	16 %
1992-93	361	1772	2133	17 %
1993-94	439	1811	2250	20 %
1994-95	579	2127	2706	21 %
1995-96	783	2213	2996	26 %
1996-97	963	2353	3316	29 %
1997-98	1193	2542	3735	32 %
1998-99	1493	2657	4150	36 %
1999-00	1658	2812	4470	37 %
2000-01	1793	2833	4626	39 %
2001-02	1880	2904	4784	39 %
2002-03	1934	3039	4973	39 %
2003-04	2008	3037	5045	40 %
2004-05	2093	3123	5216	40 %
2005-06	2212	3225	5437	41 %
2006-07	2311	3303	5614	41 %

1.3 Recent income developments

We will take advantage of a longer time panel (1993-2006) to investigate the age-earnings profiles of physicians. There have been two large public wage settlements (1996 and 2002) within this time period, together with a reform in the private medical market. Wage settlements are characterized by a strong union and centralized negotiations. The physicians are represented by the Norwegian medical association, which represents 96.5% of physicians.

The tariff revision in 1996 entailed that more public physicians were required to work more hours, resulting in treatment of additional patients. The physicians could also choose to work more than the required number of hours at a fixed overtime wage. The concept behind this wage settlement was to motivate the doctors to work more, with a low basic wage and a high variable wage.

This arrangement came to an end with the last reform in 2002. The new arrangement gave the hospitals more flexibility when it came to working hours and working arrangements, resulting in higher basic wages and lower payment for extra hours. This raise in basic wage also included a compensation for the expansion of the workweek by 2.5 hours. The new structure gave the physicians a higher minimum wage, and also gave the employer the liberty to distribute the work hours (Legeforeningen, 2005).

In 1997 the Parliament introduced a national "regular" practitioner scheme (FLO), which took effect on 1 June 2001. The FLO gives all Norwegian inhabitants the right to have a general practitioner registered as their primary physician. The general practitioners get a split payment: a fee-for-service component paid comprised of a government payment and a patient co-payment, and an annual capitation fee of 299 Norwegian kroner per listed patient from the government. Before the reform the primary doctor was either an employee of a municipality or of a private practice with a public contract (www.ssb.no, Samfunnsspeilet utg. 5, 2003).

1.4 Past research

There has not been a great deal of research within this field in Norway. The main focus has been on the labor supply, where two earlier studies examine the effect of the wage settlement in 1996 on the hospital physician labor supply and work hours; see Sæther (2005) and Baltagi et al (2005). These two studies reach different conclusions. Sæther (2005) studies male and female physicians and finds that the work hour elasticity is 0.16. Baltagi et al (2005), who only study male hospital doctors, find a much higher elasticity (short term 0.34 and long term 0.58). We do not explore this topic further.

A few articles examine the life time earnings of physicians abroad, these have mostly been about income expectations and motivation for specialization, like Frank A. Sloan (1970). Baker (1996) studies the differences in earnings between male and female physician and concludes that young male and female physicians with similar characteristics earn equal amounts of money, but some differences still exist among older physicians in some specialties.

Jacob Mincer and George J. Borjas have both done extensive research about the theory of creating age earnings profiles. We will refer to this later in the analysis, especially in chapter 3.

Empirical studies of labor supply among working men and women show that women's working hours correlate more strongly with wage than the working hours of men, both in Norway and in other countries; Dagsvik and Zhiyang (2006) and Blau and Kahn (2006).

Chapter 2: Data and methodology

This study relies on quantitative methods. We specify the regression model and introduce the datasets in this chapter.

2.1 The dataset

Our empirical focus is the wage and self-employment income of physicians during the fourteen-year period 1993-2006. By covering this period we can examine the effects of the two major wage settlements.

To establish this projects database we merged data records from four different sources: "The health personnel register" (HPR), the NUDB register (the national education database), a demographic database that contains information about personnel who are registered as residents in Norway and a database containing annual earnings data for each year between 1993 and 2006.

The health personnel register is a database with all health personnel authorized by the

department of health supervision, including personnel that has applied for authorization from abroad but never immigrated to the country. This database gives us information about who is authorized, time of authorization, registered specializations and other licenses for practice, such as student, intern and temporary licenses.

The NUDB register includes all those who are registered as residents in Norway and contains information about all lower and higher education in Norway. To be able to practice medicine in Norway you must either have a cand. med. degree from Norway, a cand. med degree from a country inside the EU or a supplementary course in addition to a foreign cand. med degree if taken outside the EU. To identify these we use NUS code 763101 (cand med) and 763102 (supplementary course).

By combining these three databases we are able extract the necessary basic information (sex, birth year, etc) and classify individuals according to:

- Norwegian born or immigrant (seasonal worker or a resident)
- Educated in Norway or abroad. Individuals registered with a "supplementary course" or who are registered in the HPR but not in the educational register are considered to have been educated abroad.

After obtaining this database we merged it with the SSB income data 1993-2006, obtaining 30146 unique individuals with 380 562 income observations.

2.2 Sample descriptive statistics and restrictions

The purpose of this study is to investigate the age-earnings profiles of working Norwegian physicians. We have therefore implemented some restrictions to the sample we are going to use in the econometric analysis.

The sample is restricted to those:

- registered with a doctor's license in the Health Personnel Register
- born in Norway
- registered annual income higher than 100000 NOK.
- within the age range of 28 to 65, where of 65 is the first possible pension age.

Table 2.2 Sample descriptive statistics

	females	males	males w/Norw ed.	males w/foreign ed.
real income	654 680	902 665	911 223	870 767
log real income	13.29	13.61	13.63	13.55
age	40.35	46.60	46.41	47.28
birth year	1959.98	1953.05	1953.18	1952.54
individuals	5676	10784	8389	2395
observations	53315	117395	92561	24834

Note: Sample period is 1993-2006. Real income is measured in 2006 prices.

By examining table 2.2 we see that there are some differences between characteristics of male and female physicians in the sample. The average age of male physicians is 6.3 years higher than for female physicians. This may be a result of the increasing share of women among the physicians in Norway from 24.9 % in 1993 to 37.5% of the total physicians in 2006 (Legeforeningen, 2008). Female physicians also have a significantly lower mean income than their male colleagues, a result that merits further investigation. We also observe that, on average, doctors educated abroad earn slightly less than doctors educated in Norway, an earnings difference we will examine further in the empirical analysis.

2.3 Choice of independent variables

When choosing the independent variable representing time, we considered three alternatives; age and two different experience variables (after education completed and after authorization). After conducting some pretests of these variables we found that the post-education experience variable was only representative of individuals with education from Norway and not those with foreign education, something that made it inferior to the other two variables. Age and the authorization variable produced similar earning profiles, but age showed to be the most covered and accurate of the two in the dataset. The average age in the sample for finishing a Cand.med is 28-29 while the average age for authorization is 30-31.

We chose to use dummy variables for each age instead of a polynomial structure, because this gave a more flexible structure and made the analysis more accurate.

2.4 The dependent variable

The dependent variable is the real income variable “Income from work” which is the sum of “employee income” (wage) and “net self-employment income”. The latter variable is important to include because of the many physicians who have net income from a private practice. The income variable has been converted into to real income, (2006 currency) by using numbers from Statistics Norway (2008).

The three variables are described at Statistics Norway (2009) as:

“Income from work is the sum of employee income and net income from self-employment earned during the calendar year”

“Employee income is the sum of cash wages and salaries, taxable in-kind earnings and sickness and maternity benefits received during calendar year.”

“Net self-employment income is the sum of self employment income in agriculture, forestry and fishing and self-employment from other industries received during the calendar year, less deficit. It also includes sickness benefits by the self employed”

2.5 Empirical Model

We will first use a cross-sectional method to define the general age earning profiles and second a fixed-effects method to investigate whether there exists unmeasured individual effects that influence our general profiles exist.

We will start with a cross-sectional method estimated by ordinary least squares (OLS). Cross-sectional data is a common type of data, which contains observations for distinct individuals at a given point in time. These variables are normally measurements taken in a certain time frame. The main difference between cross-sectional data and time series is that cross-sectional data tell us who earns what during a single year, while a time series shows how the income level changes from year to year. The OLS method is described by the following equation:

$$(1) \quad y_{it} = B_0 + B_1 x_{it} + \varepsilon_{it}, \quad \varepsilon_{it} \sim IID(0, \sigma^2)$$

$$E(\varepsilon_{it} | x_{it}) = 0, \quad i = 1, \dots, N, \quad t = 1, \dots, T$$

$$E(\varepsilon_{it} \varepsilon_{js} | x_{it}) = 0 \begin{cases} \sigma^2 & \text{for } j = i, \quad t = s \\ 0 & \text{otherwise} \end{cases}$$

where y_{it} is the dependent variable that is described by the independent variable x_{it} . The error term ε_{it} contains all effects that are significant for the dependent variable, but are not included in the model. N is the number of individuals and t is the year of the observation.

After the first section we will start to analyze the panel data with a fixed effects method. We use individual fixed effects to control for unobserved heterogeneity in the micro units. When we use cross-sectional methods there may exist unmeasured explanatory variables that affect the behavior of our observations and cause a bias in the estimation. The fixed effect method uses panel data to control for unmeasured variables that differ across entities but are constant over time.

$$(2) y_{it} = B_0 + B_1 x_{it} + u_i + v_{it}, \quad v_{it} \sim IID(0, \sigma^2)$$

$$E(v_{it} | x_{it}, u_i) = 0, \quad i = 1, \dots, N, \quad t = 1, \dots, T$$

$$E(v_{it} v_{js} | x_{it}, u_i) = \begin{cases} \sigma^2 & \text{for } j = i, \quad t = s \\ 0 & \text{otherwise} \end{cases}$$

Where y_{it} is the dependent variable that is described by the independent variable x_{it} . But now we introduce a fixed effect term u_i that controls for any correlation that may exist between the error term and independent variable. The error term v_{it} contains all effects that are significant for the dependent variable, but are not included in the regressors (x_{it}) or captured by the individual fixed effect (u_i). N is the number of individuals and t is the year of the observation; (Kennedy, 2003) and (Erik Biørn, 2003 & 2008).

Chapter 3: Empirical Analysis

3.1 General overview of age earning profiles

In this section we will examine a general age earning profile for physicians practicing in Norway. We will first estimate the age-earnings profile using cross-sectional analyses.

$$(3) \log rinc_{it} = B_0 + \sum_{j=29}^{65} B_j D age_{jit} + \sum_{t=1994}^{2006} T_t D year_{it} + \varepsilon_{it},$$

where $rinc_{it}$ is real income of labor, B_0 is the constant term (age = 28 and year = 1993),

$D age_{jit}$ and $D year_{it}$ are dummy variables for age and observation year. $D age_{jit}$ are set to unity if doctor i attains age j in year t , and are otherwise set to zero. $D year_{it}$ are set to unity if observation year is t , and are otherwise set to zero.

Figure 3.1 Predicted age-earning profiles from cross-sectional regressions

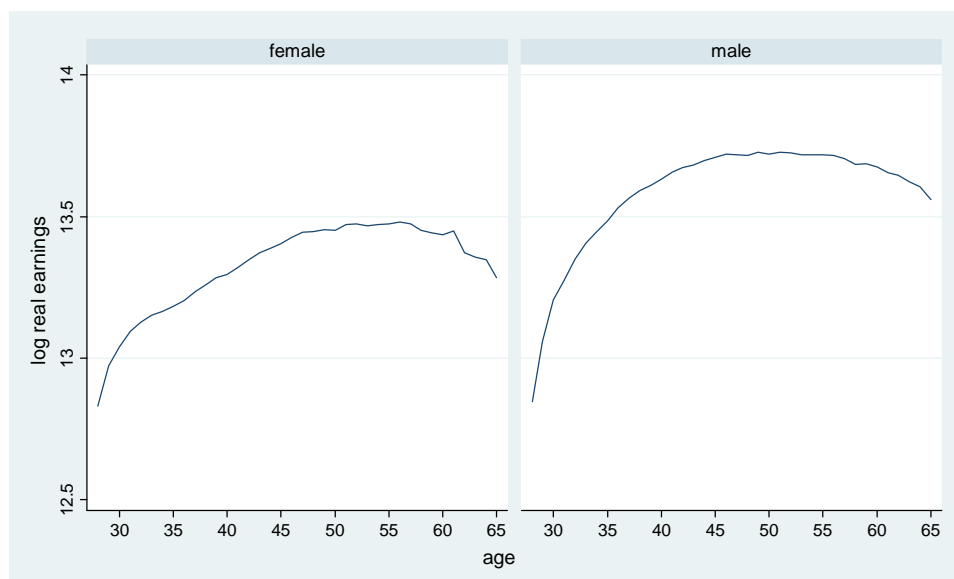


Figure 3.1 shows the estimated career profiles of male and female physicians. The profiles are upward sloping and concave. The physicians have a high rate of earnings growth early in their career and a diminishing earnings profile as they get older. The male physicians have a stable concave growth in earnings, while the female physicians have a non-smooth shape from the age of 33 followed by a lower growth in income than their male colleagues. This is not surprising, when taking into consideration that this is around the age when most women become mothers.

The types of age-earning profiles like in figure 3.1 have been explained by different theories of human capital. Jacob Mincer conducted one of the most extensive analyses of age-earning profiles. He concluded that older workers earn more because they spend less time investing in human capital and also earn the returns to earlier investments. The growth rate of earnings slows down over time because workers accumulate less human capital as they age. Building on the classical human capital framework of Gary Becker (1964), Borjas (1999, page 255-275) highlights three important properties of the age earnings profiles:

“1. That high educated workers earn more than less educated either because of a correlation between productivity and education or as a signal of the workers ability

2. Earnings rise over time, but at a decreasing rate. The increase in income over the life cycle may be a result of a rise in productivity even post school, mainly because of some on- the-job (OJT) investment/experience.

3. The age earning profiles of the different education groups diverge over time, the profile slope is steeper the more education, implying the ones that invest much in education also invest the most after in their career.”

The OJT theory fits well with the career development for doctors who have acquired a high level of experience, since doctors often have strong incentives to specialize during their career.

To show this effect we set up a standard investment model (Yoram Ben-Porath (1967)). The individuals want to invest as long as the marginal revenue is higher than or equal to the marginal cost. Let us assume that all training, after education and specialization can be measured as R NOK per unit of investment, and that each unit generates some kind of rent each year. We assume that the physicians enter the labor market after they finish their education at the age of 28 and are able to retire at age 65.

With this assumption we can generate a regular equation showing the net present value of investing one more unit.

The marginal revenue of acquiring one efficiency unit of human capital at age 28 is:

$$(4) MR_{28} = R + \frac{R}{1+r} + \frac{R}{(1+r)^2} + \frac{R}{(1+r)^3} + \dots + \frac{R}{(1+r)^{37}}$$

At age 38:

$$(5) MR_{38} = R + \frac{R}{1+r} + \frac{R}{(1+r)^2} + \frac{R}{(1+r)^3} + \dots + \frac{R}{(1+r)^{27}}$$

where r is the discount rate. From equation (4) and (5) we see that a unit invested at age 28 is worth more than an investment made at age 38. This is because an investment of human

capital acquired early in the career can be rented out for a long period of time while investments undertaken late in the career can only be rented out for a shorter period. Assuming that these investments impose a cost equal to MC per unit, the individual will continue to invest until MC=MR. Because the MR is decreasing as the individual becomes older, the returns to investments in human capital will decline with age, which implies that the closer the worker gets to the pension age the less he invests in human capital. This is what makes the shapes of the age-earning profiles concave.

Building on the human capital investment theory, Jacob Mincer (1974) introduced the equation also known as the "Mincer earnings functions" to generate his age earning profiles:

$$(6) \quad \log w_i = a_o + a s_i + b \exp_i - c \exp_i^2 + \varepsilon_i$$

where w_i is the worker's wage rate, s_i is the years of schooling, \exp_i is the years of labor market experience, and ε_i is the classical error term with an expected value equal to zero. The coefficient a reflects returns to schooling. Although not relevant to this study (because physicians have the same amount of schooling), empirical studies typically place the coefficient between 0.05 and 0.10, implying that the return to one additional year of schooling lies between 5% and 10%. The combination of coefficients b and c estimates the return to one additional year of labor experience, interpreted as measuring the impact of OJT in the physician's human capital portfolio as well as any depreciation of human capital.

When looking at figure 3.1 is easy to see the resemblance between doctors' lifecycle wages and these theories. Because physicians are highly educated and most likely resourceful people we understand that the rise in income the first 30 years is not unusual. Physicians also receive a large share of their income from overtime work, something that may explain the peak about 5-6 years before reaching the pension age. People are slowing down and focusing less on work.

3.2 Cohort effects

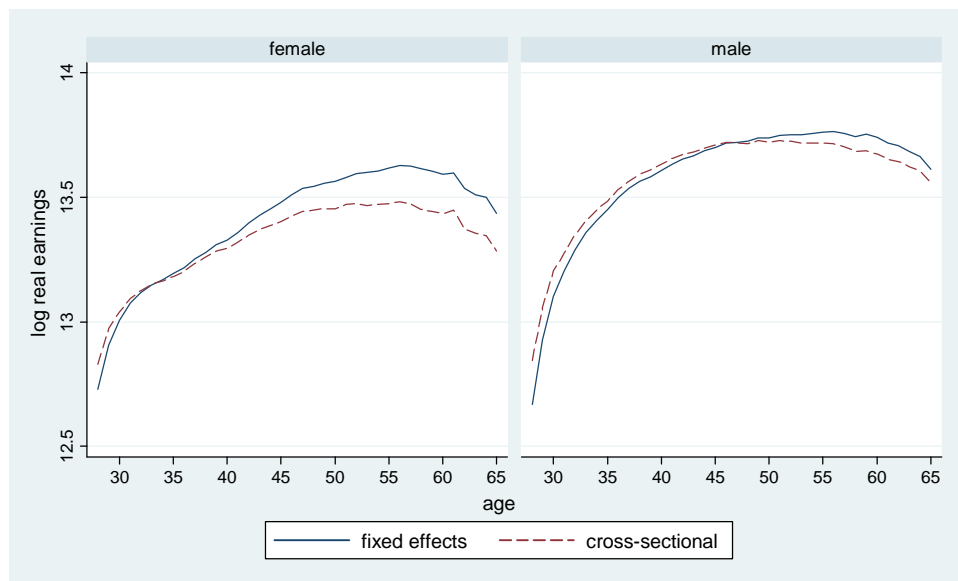
One curious pattern in figure 3.1 male profile is that it starts to drop around age 52-53 (56-57 for women). Intuitively this stagnation of growth should be later, closer to pension age. This effect may be caused by cohort differences in earnings.

To check for cohort effects we will use a fixed effect model that introduces the fixed individual term in the regression. The equation now looks like this:

$$(7) \log rinc_{it} = B_0 + \sum_{j=29}^{65} B_j D age_{jit} + u_i + v_{it}$$

where $rinc_{it}$ is real income of labor, B_0 is the constant term (age = 28), $D age_{jit}$ are dummy variables for age and u_i is the variable that captures the fixed individual effects. The error term v_{it} contains all effects that are significant for the dependent variable, but not included in the model. $D age_{jit}$ are set to unity if doctor i attains age j in year t , and are otherwise set to 0.

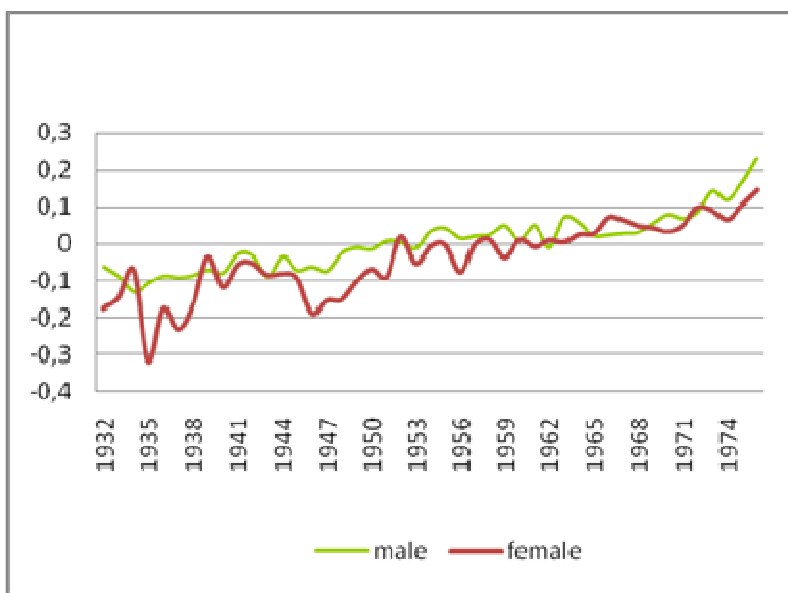
Figure 3.2 Predicted age-earning profiles from fixed effects and cross-sectional regressions



From figure 3.2 we see that individual fixed effects have a quite large impact on the estimates for both groups, but the effect varies slightly between male and female physicians. The female physicians have a stronger growth in income, but the stagnation in growth appears around the same age. The male physicians have almost the same growth as predicted by the cross-sectional method, but they experience a more natural fall in income around the age of 60-61. Explaining this by cohort effects means that earlier cohorts, which represent the older age groups in this analysis, have a lower wage than the younger cohorts would have with the same income growth. In other words a 30-year-old physician born in 1965 earns a higher real income than one born in 1945. Such cohort effects would cause a negative correlation between the error term and the independent variable of the cross-sectional method, resulting in a bias for the predicted age earnings profile.

Table 3.1 and Figure 3.3 Average predicted value of fixed effect, by birth cohort

Year	Male	Female
1935	-0.10428	-0.31598
1940	-0.07619	-0.11627
1945	-0.0695	-0.09038
1950	-0.0131	-0.06743
1955	0.044329	-0.00208
1960	0.010232	0.010967
1965	0.023342	0.027914
1970	0.079937	0.033449
1975	0.167981	0.107468



Note: The value of the individual fixed effect is predicted from the regression model in equation (7). Table and figure entries list the average fixed effect across individuals by birth cohort.

To evaluate this explanation, we examine whether the fixed error component in equation (7) relates to the birth year. Table 3.1 and figure 3.3 display the average predicted value of u , in equation (4), for each birth cohort. We see that there are large differences between the cohorts at the same age. A male individual who is born in 1940 has an approximately 16% lower real wage at the same age as one born in 1970. This provides a strong argument for using fixed effect regression since regular cross sectional methods do not take this into consideration. In other words, in a cross section of physicians there is a negative correlation between age and the error term, causing the estimates of age earnings profiles to be biased.

3.3 Period effects

Another effect that may influence the shape of our cross-sectional profiles is the two large wage settlements during the sample period that may have a large effect on the real wage. A 35-year-old physician's income in 1994 is bound to have a different life cycle path than the income of a 35-year-old physician in 1997, if there was a large favorable wage increase because of the settlement in 1996.

Table 3.2 Effects of observation years

	Male			female		
	Coef.	Std. Err	P> t	Coef.	Std. Err	P> t
Dyear1994	-0.0208578	0.006991	0.003	-0.00869	0.011689	0.457
Dyear1995	-0.0137059	0.006978	0.05	-0.01213	0.011537	0.293
Dyear1996	-0.0450166	0.00698	0	-0.00129	0.011452	0.91
Dyear1997	0.0164137	0.006952	0.018	0.056419	0.011283	0
Dyear1998	0.005186	0.006941	0.455	0.028493	0.011163	0.011
Dyear1999	-0.0088022	0.006938	0.205	0.023458	0.011037	0.034
Dyear2000	-0.0043642	0.006924	0.529	0.012584	0.010925	0.249
Dyear2001	0.014542	0.006904	0.035	0.026876	0.010801	0.013
Dyear2002	0.0096566	0.006902	0.162	0.025367	0.010721	0.018
Dyear2003	0.0476276	0.0069	0	0.071437	0.010602	0
Dyear2004	0.0438213	0.006876	0	0.063011	0.010487	0
Dyear2005	0.0562823	0.006861	0	0.076634	0.010381	0
Dyear2006	0.0439631	0.006872	0	0.076376	0.01032	0

Note: Omitted year is 1993.

Table 3.2 lists the estimated coefficients of the year variables from the cross-sectional model. As we see there is an unsteady growth in real income, with negative growth in the first years 1993-1996, while followed by the settlement, we have a large rise in 1997. After this there is some negative growth for the male physicians that most likely stabilizes the wage after the jump. After that there is only positive growth, including a large jump because of the settlement in 2002. We see some of the numbers are not significant, but since the most important years are 1997 and 2003 we are still able to discover some effects from the wage settlements.

To investigate these effects we split the observation years into three periods:

- Before the first settlement 1993-1996
- Between the two settlements 1997-2002
- And after the last settlement 2003-2006

By interacting these period dummies with the age variables we get the equation:

$$(8) \log rinc_{it} = B_0 + \sum_{j=29}^{65} B_j D age_{jit} + \sum_{j=28}^{65} \gamma_j (p2_{it} * Dage_{jit}) + \sum_{j=28}^{65} \phi_j (p3_{it} * Dage_{jit}) + u_i + v_{it}$$

where $p2_{it}$ is a dummy variable set to unity if the observed year is after 1996 and $p3_{it}$ after 2002. As such, the γ_j coefficients measure the effects of the first settlement (relative to the pre 1997 wage) and the ϕ_j coefficient the effects of the second wage settlement.

Figure 3.4 gives us some interesting information on how the different wage settlements have affected the physicians wage development. Both settlements seem to have significant positive changes on the age earning profiles of both sexes. After the first settlement the physicians between age 30-40 and 50-60 experienced the largest positive rise in earnings. The second settlement affected the female physicians at the age of 30-35 and the male physicians at the age 40-50 the most.

Figure 3.4 Predicted age-earnings profiles by pay-regime



3.4 Differences between male and female physicians

As we saw from section 3.1 and figure 3.1 there exist large income differences between male and female physicians. A cross-sectional regression controlling for sex, gives us a coefficient of -0.22. So what are the reasons for these differences?

- Do male physicians work more than female physicians, or do they get paid more by the hour?
- How does having children effect the age earnings profile for female physicians?
- Do the sexes invest differently in human capital?

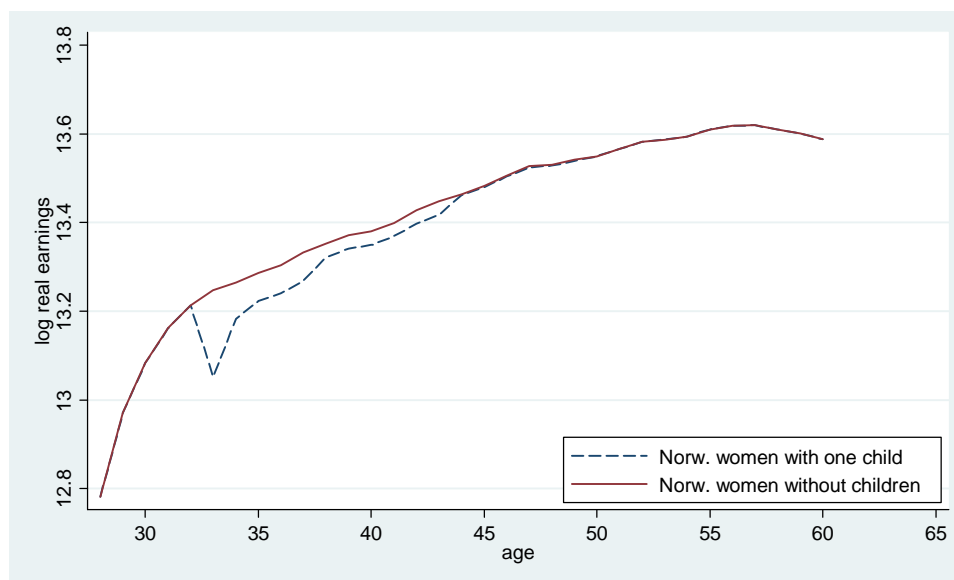
The children effect is the easiest to identify, by controlling for children in the regression. Here we introduce 6 new dummy variables, one for having a new born child, the second dummy for a one year old, then a two year old, 3-6 year old, 7-12 year old and a 13-18 year old child¹.

¹ These dummies are created from the demographic database, where individuals are connected to their parents. By subtracting the individual's birth year from the mother's we can identify how old the mother was when her children were born.

(9)

$$\log rinc_{it} = B_0 + \sum_{j=29}^{65} B_j D age_{jit} + \eta_1 Dc0_{it} + \eta_2 Dc1_{it} + \eta_3 Dc2_{it} + \eta_4 Dc36_{it} + \eta_5 Dc712_{it} + \eta_6 Dc1318_{it} + u_i + v_{it}$$

Figure 3.4 Predicted age-earning profiles with and without controlling for the effect of having children.



Note: The age-earnings profile of the Norw. women with one child is estimated for a female physician who gives birth at age 32, the median age of child birth is 32 years in the sample.

Table 3.3 Effects of children on the earnings of female physicians

	All	Period 1	Period 2	Period 3
Year of birth	-0.0675 (0.0074)	-0.0987 (0.0121)	-0.1108 (0.0085)	-0.0323 (0.0147)
1 year old	-0.1952 (0.0077)	-0.2013 (0.0142)	-0.2385 (0.0108)	-0.1412 (0.0124)
2 years old	-0.0835 (0.0070)	-0.0791 (0.0126)	-0.1069 (0.0097)	-0.0296 (0.0108)
3-6 years old	-0.0643 (0.0060)	-0.0424 (0.0151)	-0.0816 (0.0096)	-0.0086 (0.0077)
7-12 years old	-0.0305 (0.0058)	-0.0200 (0.0114)	-0.0123 (0.0097)	-0.0269 (0.0085)
13-18 years old	0.0282 (0.0056)	0.0076 (0.0145)	0.0245 (0.0103)	0.0138 (0.0097)

Note: Standard errors are reported in parentheses.

By looking at the results and the profile we conclude that having children reduces income growth early in female physician's career. The earnings loss is largest the year when the child turns one, with a reduced effect until the child is 13 years of age. Then this effect turns slightly positive. This result may reflect that when children are old enough, mothers work more than the women without children, perhaps to make up for the lost hours. Performing this regression while controlling for time periods gives us a picture of how the wage settlements have affected female physicians with children. The first settlement, with a low basic wage and a focus on high returns for overtime work, had strong negative impacts on mothers. In contrast, the second settlement, with a higher basic wage and lower returns to overtime, had a strong positive impact. Both these results indicate that a mother's priority is to take care of her children rather than to work overtime, something that sounds very reasonable. So we can conclude that having children reduces the earnings growth of female physicians early in their career, but while it explains some of the gap between male and female workers, it doesn't account for all of the difference.

Table 3.4 Share of physicians that are registered as a specialist, by observation year.

Year	male	Female
1993	0.54	0.29
1994	0.55	0.29
1995	0.59	0.31
1996	0.60	0.33
1997	0.62	0.35
1998	0.64	0.37
1999	0.66	0.39
2000	0.66	0.40
2001	0.66	0.41
2002	0.66	0.41
2003	0.65	0.42
2004	0.65	0.43
2005	0.65	0.44
2006	0.65	0.45

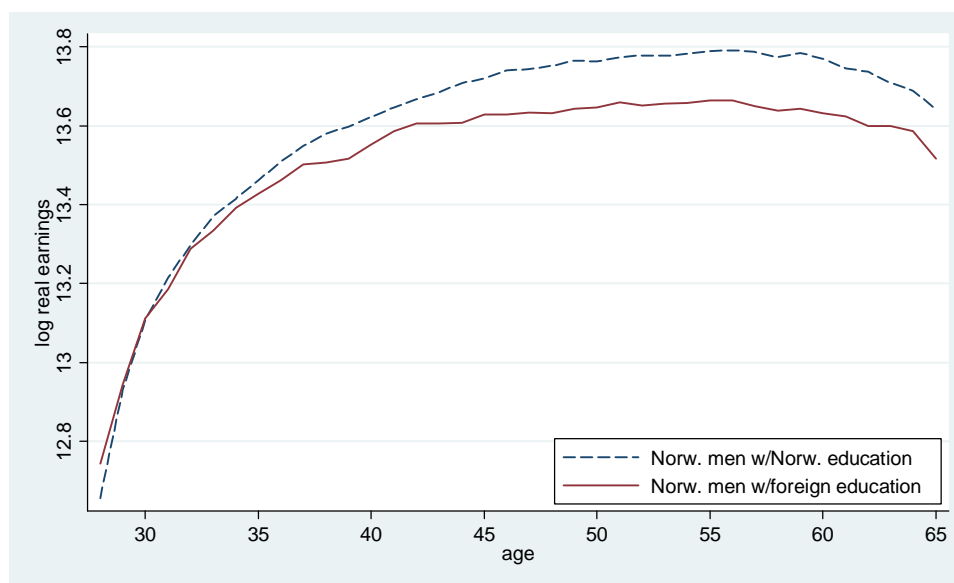
The next topic to address is Gary Becker and Jacob Mincer's theory of "On-the-job-training". One of the most obvious ways for a physician to invest in human capital is to specialize. A quick look at the income data shows that the physicians with a specialization have a considerable higher average income than those without a specialization. Table 3.4 shows the share of specialists in each of the income years. As we see there is a larger number of male specialists than female specialists compared to total amount of physicians. This may lead us to hypothesize that female physicians undertake fewer "on the job" investments.

As mentioned previously, there may be a connection here between the income gap and hours worked. Both the children effect and the human capital investment effect may be a signal for fewer working hours among female physicians. There is also extensive research showing that female physicians value family life and leisure time higher than their male colleagues (Dagsvik and Zhiyang, 2006; Blau and Kahn, 2006).

3.5 Difference between Norwegian and foreign education

In this section we want to examine the age earning profiles for Norwegian students with and without a medical degree from Norway. Here we will focus on the male physicians.

Figure 3.5 Predicted age-earnings profiles by foreign and Norwegian education.



We can see from figure 3.5 that there are strong differences in the lifetime earnings between Norwegian male physicians with a degree from Norway versus those with a degree from abroad. The physicians have an equal development in the early stages of their careers, probably because of the strict wage regulation during the intern period and the first years as a doctor, but beginning approximately at the age of 35 and continuing through their careers the physicians with Norwegian education have larger growth in income than physicians with foreign education continuing out their career.

This result prompts many of the same questions as in the study of male and female doctors in the last section. Are differences because of on-the-job investments or a lower wage? Perhaps studying abroad signals that students with foreign education did not possess the necessary qualifications or productivity to get into a Norwegian medical education program. It may also

be that the medical training programs in Eastern Europe offer lower quality of education, making it harder for the newly educated physicians to adapt to the Norwegian labor market. These effects may create a signal of lower productivity to employers making them prefer students educated in Norway. The third mechanism may be some form of network effect, that the students with Norwegian education studying at a University hospital develop connections that give them benefits in their career development. These are hypotheses for the gap in the profiles, but they are hard to test with the available dataset.

Table 3.6 Share of physicians that are registered as a specialist, by observation year.

Year	Norw. education	foreign education
1993	0.55	0.51
1994	0.56	0.52
1995	0.60	0.55
1996	0.61	0.57
1997	0.63	0.59
1998	0.65	0.60
1999	0.67	0.61
2000	0.67	0.60
2001	0.68	0.59
2002	0.68	0.58
2003	0.68	0.57
2004	0.68	0.55
2005	0.68	0.55
2006	0.69	0.55

Table 3.6 shows that students with foreign education have a tendency to invest less in human capital in the form of specialization compared to students with Norwegian education. This investment gap between the two groups increases over the observation period and may be the result of an increasing share of students studying abroad. Evaluating the relative merit of the different mechanisms that could generate the observed differences in earnings profiles of doctors educated in Norway and abroad may contribute important knowledge about the wage setting institutions of the physician labor market, and should be a priority for future work.

Chapter 4: Conclusion

Our study revealed that the age earning profiles of physicians share many of the attributes Jacob Mincer discussed in his book "Schooling, experience and earnings", published in 1974. Physician earnings rise, but at a decreasing rate, for the first 20 years after medical training and then even out at approximately age 50. We observe that there will be complications when using the regular cross-sectional methods because of the cohort and period effects on earnings, therefore, using the fixed-effects method provides a more accurate picture of the profiles. When looking at profiles in terms of gender we find that there are large differences between the earnings of male and female physicians, some of which can be attributed to reduced labor supply during child-rearing years and some to lower investments in specialization among female doctors. We also discovered differences in the profiles of physicians educated in Norway and abroad and discussed the alternative explanations for this pattern.

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Appendix 1						
Cross-sectional regression						
	male			female		
Number of obs	117395			53315		
Variable	Coef.	Std. Err.	P> t	Coef.	Std. Err.	P> t
age 29	0,212	0,013	0,000	0,144	0,012	0,000
age 30	0,357	0,013	0,000	0,211	0,012	0,000
age 31	0,429	0,013	0,000	0,265	0,012	0,000
age 32	0,503	0,013	0,000	0,297	0,012	0,000
age 33	0,561	0,013	0,000	0,323	0,013	0,000
age 34	0,605	0,013	0,000	0,335	0,013	0,000
age 35	0,644	0,013	0,000	0,353	0,013	0,000
age 36	0,690	0,013	0,000	0,374	0,013	0,000
age 37	0,726	0,013	0,000	0,406	0,013	0,000
age 38	0,755	0,013	0,000	0,431	0,013	0,000
age 39	0,775	0,012	0,000	0,455	0,013	0,000
age 40	0,797	0,012	0,000	0,467	0,013	0,000
age 41	0,820	0,012	0,000	0,492	0,013	0,000
age 42	0,837	0,012	0,000	0,519	0,014	0,000
age 43	0,846	0,012	0,000	0,543	0,014	0,000
age 44	0,860	0,012	0,000	0,559	0,014	0,000
age 45	0,872	0,012	0,000	0,575	0,014	0,000
age 46	0,882	0,012	0,000	0,598	0,014	0,000
age 47	0,879	0,012	0,000	0,615	0,015	0,000
age 48	0,876	0,012	0,000	0,619	0,015	0,000
age 49	0,886	0,012	0,000	0,626	0,015	0,000
age 50	0,879	0,012	0,000	0,624	0,016	0,000
age 51	0,885	0,012	0,000	0,643	0,016	0,000
age 52	0,881	0,012	0,000	0,646	0,017	0,000
age 53	0,872	0,012	0,000	0,639	0,017	0,000
age 54	0,873	0,012	0,000	0,644	0,018	0,000
age 55	0,871	0,012	0,000	0,646	0,019	0,000
age 56	0,869	0,012	0,000	0,653	0,020	0,000

age 57	0,856	0,012	0,000	0,645	0,020	0,000
age 58	0,835	0,012	0,000	0,624	0,021	0,000
age 59	0,837	0,013	0,000	0,614	0,022	0,000
age 60	0,823	0,013	0,000	0,606	0,023	0,000
age 61	0,803	0,013	0,000	0,620	0,025	0,000
age 62	0,795	0,013	0,000	0,544	0,026	0,000
age 63	0,775	0,014	0,000	0,528	0,028	0,000
age 64	0,756	0,014	0,000	0,518	0,030	0,000
age 65	0,709	0,015	0,000	0,455	0,032	0,000
year 1994	-0,021	0,007	0,003	-0,009	0,012	0,457
year 1995	-0,014	0,007	0,050	-0,012	0,012	0,293
year 1996	-0,045	0,007	0,000	-0,001	0,011	0,910
year 1997	0,016	0,007	0,018	0,056	0,011	0,000
year 1998	0,005	0,007	0,455	0,028	0,011	0,011
year 1999	-0,009	0,007	0,205	0,023	0,011	0,034
year 2000	-0,004	0,007	0,529	0,013	0,011	0,249
year 2001	0,015	0,007	0,035	0,027	0,011	0,013
year 2002	0,010	0,007	0,162	0,025	0,011	0,018
year 2003	0,048	0,007	0,000	0,071	0,011	0,000
year 2004	0,044	0,007	0,000	0,063	0,010	0,000
year 2005	0,056	0,007	0,000	0,077	0,010	0,000
year 2006	0,044	0,007	0,000	0,076	0,010	0,000
Constant	12,832	0,011	0,000	12,829	0,012	0,000

Note: Omitted age is 28 and omitted year is 1993.

Appendix 2						
Fixed-effects regressions						
	males			Females		
Number of obs	117395			53315		
Variable	Coef.	Std. Err.	P> t	Coef.	Std. Err.	P> t
age 29	0.260	0.009	0.000	0.176	0.009	0.000
age 30	0.435	0.009	0.000	0.277	0.009	0.000
age 31	0.536	0.009	0.000	0.347	0.009	0.000
age 32	0.622	0.010	0.000	0.388	0.010	0.000
age 33	0.690	0.010	0.000	0.418	0.010	0.000
age 34	0.739	0.010	0.000	0.439	0.010	0.000
age 35	0.783	0.010	0.000	0.465	0.010	0.000
age 36	0.829	0.010	0.000	0.486	0.010	0.000
age 37	0.869	0.010	0.000	0.523	0.010	0.000
age 38	0.896	0.010	0.000	0.550	0.011	0.000
age 39	0.913	0.010	0.000	0.579	0.011	0.000
age 40	0.939	0.010	0.000	0.597	0.011	0.000
age 41	0.965	0.010	0.000	0.629	0.011	0.000
age 42	0.985	0.010	0.000	0.667	0.011	0.000
age 43	1.000	0.010	0.000	0.698	0.012	0.000
age 44	1.019	0.010	0.000	0.725	0.012	0.000
age 45	1.033	0.010	0.000	0.750	0.012	0.000
age 46	1.050	0.010	0.000	0.781	0.012	0.000
age 47	1.053	0.010	0.000	0.807	0.013	0.000
age 48	1.059	0.010	0.000	0.813	0.013	0.000
age 49	1.072	0.010	0.000	0.826	0.014	0.000
age 50	1.071	0.010	0.000	0.833	0.014	0.000
age 51	1.082	0.011	0.000	0.849	0.014	0.000
age 52	1.084	0.011	0.000	0.864	0.015	0.000
age 53	1.084	0.011	0.000	0.869	0.015	0.000
age 54	1.089	0.011	0.000	0.874	0.016	0.000
age 55	1.094	0.011	0.000	0.889	0.017	0.000
age 56	1.097	0.011	0.000	0.897	0.017	0.000
age 57	1.089	0.011	0.000	0.896	0.018	0.000
age 58	1.077	0.011	0.000	0.886	0.019	0.000
age 59	1.085	0.012	0.000	0.876	0.019	0.000
age 60	1.072	0.012	0.000	0.863	0.020	0.000

age 61	1.051	0.012	0.000	0.868	0.022	0.000
age 62	1.040	0.012	0.000	0.805	0.023	0.000
age 63	1.016	0.013	0.000	0.781	0.024	0.000
age 64	0.997	0.013	0.000	0.770	0.026	0.000
age 65	0.946	0.014	0.000	0.706	0.029	0.000
Constant	12.668	0.009	0.000	12.730	0.008	0.000

Appendix 3						
Fixed-effects regressions with periods						
	males			females		
Number of obs	117395			53315		
Variable	Coef.	Std. Err.	P> t	Coef.	Std. Err.	P> t
age 29	0,183	0,020	0,000	0,097	0,019	0,000
age 30	0,326	0,020	0,000	0,152	0,020	0,000
age 31	0,402	0,020	0,000	0,209	0,020	0,000
age 32	0,449	0,020	0,000	0,227	0,021	0,000
age 33	0,525	0,020	0,000	0,238	0,021	0,000
age 34	0,554	0,021	0,000	0,237	0,022	0,000
age 35	0,605	0,021	0,000	0,272	0,022	0,000
age 36	0,640	0,021	0,000	0,281	0,023	0,000
age 37	0,676	0,021	0,000	0,293	0,024	0,000
age 38	0,702	0,021	0,000	0,312	0,024	0,000
age 39	0,704	0,021	0,000	0,356	0,025	0,000
age 40	0,721	0,022	0,000	0,330	0,026	0,000
age 41	0,743	0,022	0,000	0,381	0,027	0,000
age 42	0,760	0,022	0,000	0,422	0,028	0,000
age 43	0,768	0,022	0,000	0,444	0,029	0,000
age 44	0,787	0,022	0,000	0,470	0,030	0,000
age 45	0,804	0,023	0,000	0,485	0,031	0,000
age 46	0,801	0,023	0,000	0,527	0,032	0,000
age 47	0,793	0,023	0,000	0,539	0,034	0,000
age 48	0,788	0,023	0,000	0,530	0,035	0,000
age 49	0,779	0,024	0,000	0,515	0,036	0,000
age 50	0,787	0,024	0,000	0,504	0,038	0,000
age 51	0,778	0,024	0,000	0,476	0,039	0,000
age 52	0,772	0,025	0,000	0,522	0,041	0,000
age 53	0,751	0,026	0,000	0,534	0,043	0,000
age 54	0,773	0,026	0,000	0,539	0,045	0,000
age 55	0,775	0,027	0,000	0,542	0,048	0,000
age 56	0,759	0,027	0,000	0,511	0,050	0,000

age 57	0,741	0,028	0,000	0,488	0,053	0,000
age 58	0,723	0,028	0,000	0,466	0,056	0,000
age 59	0,692	0,029	0,000	0,457	0,060	0,000
age 60	0,661	0,030	0,000	0,426	0,064	0,000
age 61	0,611	0,032	0,000	0,411	0,070	0,000
age 62	0,611	0,034	0,000	0,380	0,078	0,000
age 63	0,582	0,036	0,000	0,386	0,085	0,000
age 64	0,562	0,040	0,000	0,292	0,098	0,003
age 65	0,104	0,020	0,000	0,307	0,116	0,008
per2 age 28	0,030	0,019	0,124	0,098	0,020	0,000
per2 age 29	0,024	0,019	0,200	0,005	0,019	0,791
per2 age 30	0,057	0,019	0,002	0,038	0,019	0,042
per2 age 31	0,092	0,018	0,000	0,043	0,019	0,024
per2 age 32	0,070	0,018	0,000	0,062	0,019	0,001
per2 age 33	0,087	0,017	0,000	0,068	0,019	0,000
per2 age 34	0,052	0,017	0,002	0,101	0,019	0,000
per2 age 35	0,064	0,016	0,000	0,077	0,019	0,000
per2 age 36	0,044	0,015	0,005	0,076	0,019	0,000
per2 age 37	0,035	0,015	0,017	0,107	0,019	0,000
per2 age 38	0,045	0,014	0,002	0,094	0,019	0,000
per2 age 39	0,046	0,014	0,001	0,055	0,020	0,006
per2 age 40	0,038	0,014	0,005	0,096	0,020	0,000
per2 age 41	0,027	0,013	0,045	0,071	0,021	0,001
per2 age 42	0,023	0,013	0,075	0,045	0,022	0,038
per2 age 43	0,022	0,013	0,091	0,041	0,023	0,072
per2 age 44	0,004	0,013	0,731	0,037	0,024	0,118
per2 age 45	0,021	0,013	0,093	0,031	0,025	0,223
per2 age 46	0,034	0,013	0,007	0,012	0,026	0,656
per2 age 47	0,044	0,013	0,001	0,007	0,027	0,796
per2 age 48	0,060	0,013	0,000	0,006	0,028	0,839
per2 age 49	0,038	0,013	0,003	0,035	0,029	0,233
per2 age 50	0,055	0,013	0,000	0,071	0,031	0,020
per2 age 51	0,062	0,014	0,000	0,091	0,032	0,005
per2 age 52	0,074	0,015	0,000	0,042	0,034	0,215
per2 age 53	0,048	0,015	0,002	0,051	0,036	0,152
per2 age 54	0,041	0,016	0,011	0,045	0,038	0,235
per2 age 55	0,048	0,016	0,003	0,031	0,040	0,441
per2 age 56	0,051	0,017	0,003	0,054	0,042	0,203
per2 age 57	0,047	0,018	0,009	0,088	0,045	0,050

per2 age 58	0,080	0,019	0,000	0,097	0,048	0,041
per2 age 59	0,093	0,020	0,000	0,076	0,052	0,145
per2 age 60	0,119	0,022	0,000	0,065	0,056	0,240
per2 age 61	0,086	0,024	0,000	0,063	0,062	0,308
per2 age 62	0,075	0,027	0,005	0,050	0,070	0,478
per2 age 63	0,053	0,031	0,093	0,020	0,077	0,793
per2 age 64	0,037	0,037	0,311	0,050	0,090	0,581
per2 age 65	0,082	0,020	0,000	0,027	0,107	0,803
per3 age 28	0,031	0,019	0,096	0,053	0,022	0,017
per3 age 29	0,013	0,018	0,467	0,038	0,021	0,062
per3 age 30	0,034	0,018	0,055	0,076	0,019	0,000
per3 age 31	0,036	0,018	0,040	0,080	0,018	0,000
per3 age 32	0,040	0,018	0,027	0,076	0,018	0,000
per3 age 33	0,065	0,018	0,000	0,093	0,018	0,000
per3 age 34	0,049	0,018	0,006	0,050	0,018	0,005
per3 age 35	0,075	0,018	0,000	0,048	0,018	0,008
per3 age 36	0,070	0,018	0,000	0,058	0,018	0,002
per3 age 37	0,070	0,018	0,000	0,031	0,018	0,091
per3 age 38	0,063	0,018	0,000	0,049	0,019	0,009
per3 age 39	0,062	0,017	0,000	0,063	0,019	0,001
per3 age 40	0,070	0,016	0,000	0,066	0,019	0,000
per3 age 41	0,077	0,015	0,000	0,032	0,019	0,089
per3 age 42	0,049	0,015	0,001	0,047	0,019	0,014
per3 age 43	0,057	0,015	0,000	0,058	0,019	0,002
per3 age 44	0,065	0,014	0,000	0,039	0,019	0,041
per3 age 45	0,041	0,014	0,003	0,058	0,020	0,003
per3 age 46	0,029	0,013	0,026	0,044	0,020	0,030
per3 age 47	0,041	0,013	0,002	0,067	0,021	0,001
per3 age 48	0,042	0,013	0,001	0,086	0,022	0,000
per3 age 49	0,043	0,013	0,001	0,075	0,023	0,001
per3 age 50	0,026	0,013	0,040	0,026	0,024	0,287
per3 age 51	0,038	0,013	0,003	0,071	0,025	0,005
per3 age 52	0,027	0,013	0,035	0,074	0,026	0,004
per3 age 53	0,033	0,013	0,010	0,022	0,027	0,409
per3 age 54	0,048	0,013	0,000	0,016	0,029	0,586
per3 age 55	0,044	0,014	0,001	0,054	0,030	0,072
per3 age 56	0,043	0,014	0,002	0,077	0,031	0,013
per3 age 57	0,048	0,015	0,001	0,038	0,033	0,240
per3 age 58	0,039	0,015	0,011	0,025	0,034	0,472

per3 age 59	0,033	0,016	0,042	0,042	0,036	0,244
per3 age 60	0,047	0,017	0,005	0,077	0,038	0,042
per3 age 61	0,061	0,018	0,001	0,098	0,041	0,017
per3 age 62	0,081	0,019	0,000	0,035	0,044	0,419
per3 age 63	0,099	0,020	0,000	0,082	0,048	0,086
per3 age 64	12,886	0,018	0,000	0,115	0,052	0,026
per3 age 65	0,099	0,013	0,000	0,061	0,057	0,284
Constant	12,886	0,029	0,000	12,900	0,017	0,000

Appendix 4						
Fixed-effects regressions, Norwegian vs. foreign education						
	Norwegian education			Foreign education		
Number of obs	92561			24834		
Variable	Coef.	Std. Err.	P> t	Coef.	Std. Err.	P> t
age 29	0.276	0.010	0.000	0.200	0.020	0.000
age 30	0.452	0.010	0.000	0.368	0.021	0.000
age 31	0.559	0.011	0.000	0.443	0.021	0.000
age 32	0.641	0.011	0.000	0.545	0.022	0.000
age 33	0.714	0.011	0.000	0.590	0.022	0.000
age 34	0.760	0.011	0.000	0.648	0.023	0.000
age 35	0.806	0.011	0.000	0.684	0.024	0.000
age 36	0.854	0.011	0.000	0.718	0.024	0.000
age 37	0.893	0.011	0.000	0.759	0.025	0.000
age 38	0.925	0.011	0.000	0.763	0.025	0.000
age 39	0.943	0.011	0.000	0.773	0.025	0.000
age 40	0.967	0.011	0.000	0.809	0.025	0.000
age 41	0.992	0.011	0.000	0.843	0.025	0.000
age 42	1.012	0.011	0.000	0.863	0.025	0.000
age 43	1.030	0.011	0.000	0.862	0.025	0.000
age 44	1.052	0.011	0.000	0.864	0.025	0.000
age 45	1.065	0.011	0.000	0.886	0.025	0.000
age 46	1.086	0.011	0.000	0.885	0.025	0.000
age 47	1.088	0.011	0.000	0.890	0.025	0.000
age 48	1.096	0.011	0.000	0.888	0.025	0.000
age 49	1.109	0.012	0.000	0.900	0.025	0.000
age 50	1.108	0.012	0.000	0.903	0.025	0.000
age 51	1.118	0.012	0.000	0.916	0.025	0.000
age 52	1.123	0.012	0.000	0.908	0.025	0.000
age 53	1.122	0.012	0.000	0.912	0.025	0.000
age 54	1.128	0.012	0.000	0.914	0.025	0.000
age 55	1.133	0.012	0.000	0.921	0.025	0.000
age 56	1.136	0.012	0.000	0.921	0.026	0.000

age 57	1.132	0.013	0.000	0.905	0.026	0.000
age 58	1.119	0.013	0.000	0.895	0.026	0.000
age 59	1.129	0.013	0.000	0.899	0.026	0.000
age 60	1.115	0.013	0.000	0.889	0.027	0.000
age 61	1.090	0.013	0.000	0.880	0.028	0.000
age 62	1.082	0.014	0.000	0.856	0.029	0.000
age 63	1.053	0.014	0.000	0.856	0.030	0.000
age 64	1.033	0.014	0.000	0.843	0.032	0.000
age 65	0.986	0.015	0.000	0.774	0.035	0.000
Constant	12.655	0.010	0.000	12.744	0.021	0.000